

# The Veracious Counting Bloom Filter

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**Abstract:** Counting Bloom Filters (CBFs) are widely employed in many applications for fast membership queries. CBF works on dynamic sets rather than a static set via item insertions and deletions. CBF allows false positive, but not false negative. The  $B_h$ -Counting Bloom Filter ( $B_h$ -CBF) and Variable Increment Counting Bloom Filter (VI-CBF) are introduced to reduce the false positive probability, but they suffer from memory overhead and hardware complexity. In this paper, we proposed a multilevel optimization approach named as Veracious  $B_h$ -Counting Bloom Filter ( $VB_h$ -CBF) and Veracious Variable increment Counting Bloom Filter (VVI-CBF) by partitioning the counter vector into multiple levels to reduce the False Positive Probability (FPP) and to limit the memory requirement. The experiment result shows that the false positive probability and total memory size are reduced by 65.1%, 67.74% and 20.26%, 41.29% respectively compared to basic  $B_h$ -CBF and VI-CBF.

**Key words:** Bloom Filter, false positive, Counting Bloom Filter, Intrusion Detection system

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## 1. Introduction

### 1.1. Motivation

A significant security problem for networked systems is hostile or at least unwanted trespass by users or software. User trespass can take the form of unauthorized logon to a machine or in the case of an authorized user, acquisition of privileges or performance of actions beyond those that have been authorized. Software trespass can take the form of virus, worm or Trojan horse. Intrusion Detection Systems (IDS) have been developed to provide early warning of an intrusion, so that defensive action can be taken to prevent or minimize damage.

Early developed IDS are mainly of two types: (1) Host based IDS (2) Network based IDS. Again, all the intrusion detection systems use one of the two detection techniques: (a) Statistical anomaly (b) Signature based IDS. The software based solution cannot catch up with the gigabit network. This impediment leads to a demand of hardware solution to speed up the process.

### 1.2. Intuition for Veracious Variable CBF

Burton H. Bloom introduced a new hash coding method. This method is suggested for application in which the great majority of messages to be tested will not belong to the large set. Firstly, the average time required for classifying the element as a non-member of large set is high. Secondly, the probability of error should be minimized (i.e.) the

false identification of the member to be in the set will create a small error [3, 4, 6]. Thirdly, computation time and space should be efficient to meet the practical applications.

Counting Bloom Filter emerged to overcome the pitfalls of BF. CBF have been contrived for multi-set representation that may be dynamic due to increment/decrement. This aspect makes it as a natural virtue in many networking solicitations [14, 20, 11, 12].

The  $B_h$  sequence is now used to improve the performance of CBF [16]. Basic CBF will increment the counter by 1, which is constant throughout the entries. While  $B_h$ -CBF have two counters. First counter will have a constant increment of one, it counts the number of elements hashed into the CBF. Second counter will have an inconstant incremental of weighted sum of the elements.

The  $B_h$ -CBF nearly doubles the counter used in the design. To overcome this limitation, Variable Increment Counting Bloom Filter (VI-CBF) emerged [19], which also uses a variable increment counter but it relies only on one counter per entry. It does not rely on the counter that counts the number of hashed elements into the CBF.

Upon this the VI-CBF also suffers from added complexity and memory overhead. To counter act this we proposed two new designs named Veracious  $B_h$  Counting Bloom Filter ( $VB_h$ -CBF) and Veracious Variable Increment Counting Bloom Filter (VVI-CBF). The goal is to reduce the false positive probability. The  $VB_h$ -BF and VVI-CBF is constructed by segmenting the counter vector into

multi levels. The counters are organized by offset indexing. In VB<sub>h</sub>-CBF and VVI-CBF the first level is used to perform membership queries, while other levels are used for insertions and deletions. The simulation result shows that the VB<sub>h</sub>-CBF and VVI-CBF outperforms B<sub>h</sub>-CBF and VI-CBF in false positive probability at the same memory consumption.

The rest of this paper is organized as follows. Section II introduces the background and related work of BF. Section III enumerates the algorithms of B<sub>h</sub>-CBF and VI-CBF. We described the construction of VB<sub>h</sub>-CBF and VVI-CBF in Section IV. Finally, the experimental results are shown in Section V to validate the construction of VB<sub>h</sub>-CBF and VVI-CBF. Section VI deals with inferences of the work discussed in the earlier sections.

## 2. Background and Related Works

A Bloom Filter (BF) is a compact space efficient data structure, which consists of an array of m-bits whose values are initially set to zero. It is used to represent a set  $S=\{X_1, \dots, X_n\}$  of n elements. For each element that is added to the set S, k different hash functions  $h_1, \dots, h_k$  with the range  $\{1, \dots, m\}$  are engaged to manipulate k different hash values  $h_1(X_i), \dots, h_k(X_i)$ . Based on these values that are mapped the bits  $h_j(x_i)$  are set to 1 over  $j=1, 2, \dots, k$ . To check if a certain element Y is present in our BF, similar procedure is followed as used in insertion process [4][7][17][15][18]. If the bits  $h_j(Y)$  equal to 1, then the element is probably in the set. If it is zero, then certainly it is not in the set. Sometimes BF suffers from false positive error and will not support deletion of an element. The test bits were set to 1 due to insertion of different elements. The false positive can be hacked by simply making trade-off between size of the BF and false positive probability.

A best way is provided to support deletion without recreating the filter anew named as Counting Bloom Filter (CBF) [10]. In CBF a single bit registers are replaced with n-bit counter. The insertion and deletion is established by simply incrementing and decrementing the counter [14][20][11][12]. As discussed in [20] the SRAM is not compatible with the high speed data matching. A new memory based on CAM introduced [1] to overcome the drawback of SRAM but still as network speed increases in Gbps, CBF are more preferred for intrusion detection. Still, CBF faces obstacles while the narrowness they impose on scalability and arithmetic overflow.

Further Mitzenmacher made a research to compress the BF to make it more optimal. By compressing the size of the bit array (z), the length of the uncompressed and compressed BF has found

no gain. So the value of z is kept constant to minimize the FPP [17, 20]. The compressed BF also suffers from few limitations like memory overhead, computation cost and the size of the filter cannot be calculated since it is compressed and uncompressed every time.

A spectral BF is related to CBF, which is adapted for encoding multi-set. The filtering of elements is based on the multiplicities that are in specific range. The value of the multiplicity should satisfy  $\widehat{fq} = fq$  otherwise error occurs. This error can be minimized by two ways proposed by Cohen and Matias as Minimal increase and Recurring minimum methods [9].

Chazelle *et al.*, proposed the Bloomier filter [8], which can associate values with the key stored in the BF and have one of the color values associated with each object. By querying the objects, the corresponding color is returned. Like BF, this structure also suffers from small FPP but not false negative.

Bonomi *et al.*, introduced an enhanced structure named d-left hashing which demands only half as much as space as CBF [5]. The above drawbacks of CBF are overcome by this d-left hashing.

Stable Bloom Filter (SBF) by Deng and Rafiei is designed to continuously expel the information to make space for the most recent elements. In this filter there is no way to store the entire data. Unlike BF, the SBF introduces false negative, since they expel the trite information. This technique works better than standard BD in terms of time efficiency and FPP when a small space and acceptable false positive rate is given [10].

Almeida *et al.*, introduced a variant of BF that can acclimate dynamically to the number of elements stored named as Scalable Bloom Filter. This method guaranteed for minimum FPP [2]. The scalable BF is built by arranging the BF sequentially with increasing capacity and tighter FPP, so as to ensure that a maximum false positive probability can be set beforehand, regardless of the number of elements to be inserted. In this paper, VB<sub>h</sub>-CBF and VVI-CBF are designed to improve the FPP by using multilevel optimization to avoid the previous limitations.

## 3. Concise Representation of Counting Bloom Filter, B<sub>h</sub>-CBF and VI-CBF

### 3.1. Counting Bloom Filter

The CBF suggested by Fan et al. as discussed in section II is a generalized BF, in which the single bit bloom filter is replaced by a n-bit BF [11]. The insertion and deletion are done by simply incrementing and decrementing the counter. The low power Linear Feedback Shift Register (LFSR)

are employed for this design[8]. The operations are shown as Algorithm 1 steps as follows:

*Algorithm 1: Insertion In CBF*

```

Insert(Element x);
for(i=1;i<=q;i++) do
    for(j=1;j<=k;j++)do
        p=hj(xi);
        Cj(p)++;
    end for;
end for;

```

The element x is inserted into the BF using k independent hash functions. The corresponding bit array is incremented by 1, rest are retained as zero as shown in Algorithm 1. The reverse process is carried out to delete an element from the array.

*Algorithm 2: Query Operation In CBF*

```

Query(Element x);
for(i=1;i<=q;i++) do
    for(j=1;j<=k;j++)do
        p=hj(xi);
        if Cj(p)=0 then
            return FALSE;
        else
            return TRUE;
        end if;
    end for;
end for;

```

To query an element in the CBF the hash function is performed and the corresponding location in the bit array is checked for its presents [20]. If it equals 0 then definitely the element is not present, else it is present in the array as given by the Algorithm 2. The CBF also suffers from false positive error, so a new idea based on Sidon sequence is proposed [16][19].

### 3.2. SIDON Sequence

The Sidon Sequence is commonly known as *Bh*-set or *Bh* sequence [16]. We start with the basic Scenarios of *B<sub>h</sub>* sequences. *B2* sequences are also called Sidon sequences.

- *Rule 1.* Let  $(X, +)$  be an Abelian group. Let  $G = \{U_1, U_2, \dots, U_n\}$  be a sequence of elements of  $X$ . Then  $G$  is a *B<sub>h</sub> sequence* over  $X$  if all the sums  $U_{i_1} + U_{i_2} + \dots + U_{i_h}$  with  $1 \leq i_1 \leq i_2 \leq \dots \leq i_h$  are distinct [11].
- *Example 1.* Let  $G = \mathbb{Z}$  and  $G = \{U_1, U_2, U_3, U_4\} = \{1, 4, 11, 13\} \subseteq G$ .

We can see that all the 10 sums of 2 elements of  $G$  and 20 sums of 3 elements are distinct. Therefore,  $G$  is a *B2* and *B3* sequence. However, the two sums of 4 elements, hence  $G$  is not a *B4* sequence.

### 3.3. Functionality of *B<sub>h</sub>* Sequence

The *B<sub>h</sub>* sequence is used to improve the performance of CBF [12, 10]. Basic CBF will increment the counter by

1, which is constant throughout the entries. While in *B<sub>h</sub>* sequence based CBF there will be two counters [9].

First counter will have a constant increment of one, it counts the number of elements hashed into the CBF. Second counter will have an inconstant incremental of weighted sum of the elements as shown in Table.1.

There are three basic operations performed by each of these counters.

- Insertion or update phase.
- Deletion or removal phase.
- Query or test phase.

#### 3.3.1. Element insertion

Algorithm 3, Shows that element 'A' is inserted whose  $G = \{1, 4, 11, 13\}$  and  $k=3$ . In this,  $\{h_1(A), h_2(A), h_3(A)\} = \{1, 4, 8\}$  and  $\{g_1(A), g_2(A), g_3(A)\} = \{2, 1, 4\}$ . The element 'A' is hashed to 1, 4, 8 locations in the array using  $h_1, h_2$  and  $h_3$ . It increment the counter C1 by one and it increments the second counter by hashing  $\{U_{g_1(A)}, U_{g_2(A)}, U_{g_3(A)}\} = \{U_2, U_1, U_4\} = \{4, 1, 13\}$  respectively.

*Algorithm 3: Insertion Operation In *B<sub>h</sub>*-CBF*

```

Insert(Element A);
#To add the element in C1
for(i=1;i<=q;i++) do
    for(j=1;j<=4;j++)do
        p=hj(Ai);
        C1j(p)++;
    #To add the element in C2
    Get the value for U={1,4,11,13}
    Ugj(A)}=gj(A);
    C2j(p)= C2j(p)+Ugj(A)};
    end for;
end for;

```

#### 3.3.2. Element querying

To query whether an element 'B' is present in the set S, both the counters are checked for its presence. If  $C1(i)=0$ , then the constant increment counter determines that 'AB'  $\notin$  S.

The  $C2(i)$  is checked for exact sum of the a value based on G as shown in Algorithm 4.

#### 3.3.3. Element deletion

The deletion of an element says 'AB' is performed similar to element insertion. First counter of  $h_i(a)$  is decremented by one and second counter is decremented by  $U_{g_i}(a)$ . The element 'AB' is removed by decrementing the first counter C1 using  $h_1(AB), h_2(AB)$  and  $h_3(AB)$  by 1 and their second counter C2 by 13, 1 and 4 respectively [19].

*Algorithm 4: Query Operation In *B<sub>h</sub>*-CBF*

```

Query(Element A)

```

```

#To query the element in C1
for(i=1;i<=q;i++) do
  for(j=1;j<=4;j++)do
    p=hi(Ai);
If C1j(p)==0 then
  return FALSE;
else
  return TRUE;
end if;
# To query the element in C2
Get the value for U={1,4,11,13}
Ugi(A)=gi(A);
if C2j(P) contains the Value
of D hashed by gi(A) then
  return TRUE;
else
  return FALSE;
end if;
end for;
end for;

```

### 3.4. Variable Increment Counting Bloom Filter

The  $B_h$ -CBF illustrated above has two counters which will certainly doubles the hardware complexity and memory utilization. The C1 and C2 counters are replaced with single counter that keeps track of the elements in the array. The  $B_h$ -CBF and VI-CBF shows 22.2% and 34% improvement in the total memory size. The hardware's complexity is reduced by a factor of two approximately. The Simulation results in the previous works [18] shows that the  $B_h$ -CBF and VI-CBF also suffers from small false positive rate.

## 4. Veracious Counting Bloom Filter

In this section, we present a multilevel optimization technique to  $B_h$ -CBF and VI-CBF and we name it as Veracious  $B_h$ -CBF and VI-CBF. We described the basic construction of  $VB_h$ -CBF and VVI-CBF to reduce the FPP. Next, the proposed and standard techniques are compared to designate the improvement in the FPP.

### 4.1. $VB_h$ -CBF Construction

The basic idea of  $VB_h$ -CBF is to partition the counter array into multilevel. Further, we segregate the insertion/deletion operations and query operations. Veracious  $B_h$ -CBF has a ranked structure which is composed of  $h$ -levels  $b_1, \dots, b_r$  and an idle array  $b_i$ . The  $VB_h$ -CBF uses  $k$  hash functions  $h_1, \dots, h_k$  to hash an element  $x$  into  $k$  bits in the first controlled by the parameter  $m$  for a given  $n$  and  $k$  [11]. In the ranked structure,  $b_1$  is employed to substantiate membership query,  $b_2, \dots, b_r$  is used to manipulate the element insertion,  $b_i$  is utilized for further insertion of new elements. The first level  $b_1$  has the same size as  $B_h$ -CBF. Since  $m$  is 10, the size of  $b_1=10$ . The remaining 21 bits are used for idle array  $b_i$ . The  $VB_h$ -CBF uses  $k$  hash functions  $h_1, \dots, h_k$  to hash an element  $x$  into  $k$  bits in the first

level  $b_1$  and  $l_1$  is the bit size of  $b_1$ . The query operation is carried to check the array  $b_1$  as shown in Algorithm 1.

Algorithm 5, Shows that if all bits are set to 1, then the element  $x$  is said to be in  $VB_h$ -CBF. We presume  $|b_j|=l_{1j}$ , where  $j$  is in the range  $[1, 2, \dots, r]$ . To traverse through the counter an offset index in  $b_j$  by using the function  $\text{popcount}(b_j, j)$ . This function returns the number of ones counted while transverse through the position  $j$ . Fig. 1, shows the insertion of three elements  $x, y, z$ . The C1 is 10-bit array, position 8 in C1 and C2 are hashed by both  $y$  and  $z$ . So the first counter is incremented by one and the second counter is arranged in a ranked structure where its value traverses through two levels  $b_3$  and  $b_4$ . As bit 3 in C1 is set to 1, the corresponding bit in  $b_2$  is set to 1 based on the  $B_h$  concept. Next we call the popcount to index the position in  $b_2$ . It returns the value 3, so this helps to address the  $b_3$ . Similarly  $b_3$  returns 1 which is used for  $b_4$ . The sum of all the traverse path values gives the total counter value.

Algorithm 5: Query Operation In  $VB_h$ -CBF

```

Query(Element x);
#To query an element in C1 and C2
for(i=1;i<=k;i++)do
  q=hi(x);
  p=Ugi(x) mod li;
If b1(p)=-0 and C1(q)=0 then
  return FALSE;
end if;
end for;

```

In order to insert or to delete an element the corresponding counter is incremented or decremented. When an element is inserted in to  $VB_h$ -CBF, we need to traverse through the  $b_1, \dots, b_r$  series. To insert an element we expand the next level  $b_{j+1}$ , by adding variable value from the set  $U$  indexed by the second hash function. Similarly, perform deletion by shrinking the last level  $b_j$  by shifting backward all the bits and decrementing  $b_j$  by the variable value from set  $U$  as in algorithm 6.

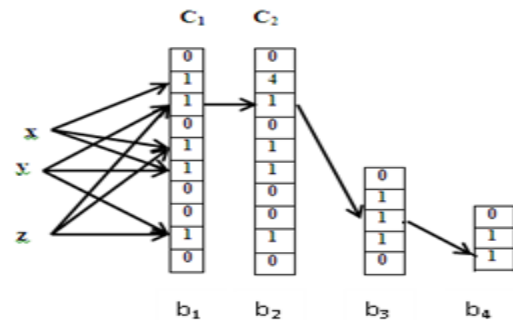


Figure 1.  $Vb_h$ -CBF with ranking structure

Algorithm 6: Insertion Operation In  $Vb_h$ -CBF

```

Insert(Element A)
#To insert the element in C1

```



```

for(i=1;i<=k;i++) do
  q=hi(A);
  C1i(p)++;
#To insert the element in C2
Get the value for U={1,4,11,13}
Ugi(x)=gj(x);
  for(j=1;j<=r;j++)do
if(j== ugi(x))then
  p=gi(x)mod li;
end if;
  if (bi(p)=Ugi(x)) then
Offset=popcount(bi,p);
P=offset;
#Expand bj by one position bj+1
Else
  bj(p)=Ugi(x);
offset=popcount(bj,p);
expand(bj+1,offset);
p=offset;
bj+1[p]=0;
exit();
end if; end for;

```

The VB<sub>h</sub>-CBF, has two hash functions and their range varies from {1,...,m} and for second hash function {1,2,...,l<sub>1</sub>}. The FPR for VB<sub>h</sub>-CBF, is

$$FPR = \left( 1 - \sum_{j=0}^h \binom{nk}{j} \left( \frac{l_1-1}{l_2m} \right)^j \left( 1 - \frac{1}{m} \right)^{nk-j} \right)^k \quad (1)$$

## 4.2. VVI-CBF Construction

The VB<sub>h</sub>-CBF suggested above uses two counters per entry. This nearly doubles the hardware utilization. Moreover, the elements in the sum of C2 will not be unique when there are h elements. So we introduce VVI-CBF (Veracious Counting Bloom Filter) that uses only a single counter instead of two counters. As previously enumerated in Figure 1, we again use the array to store the elements. Like the second counter in VB<sub>h</sub>-CBF, a single variable counter is updated based on the values selected in the set U. Upon insertion, the counter is incremented by **g<sub>i</sub>(x)** in the set G positioned by h<sub>i</sub>(x). Similarly, deletion is accomplished by deleting the counter by **g<sub>i</sub>(x)** in the set G positioned by h<sub>i</sub>(x). Another problem with VI-CBF scheme as discussed in previous works, it cannot directly use the bh scheme as there is no small counter to store the number of elements hashed into the counter[18][26].

To solve this [19] D=D<sub>L</sub> that does not need a small lookup table. We adopted this scheme to design VVI-CBF.

The FPR of the VI-CBF scheme is shown in eqn. (2),

$$FPR = \left( 1 - \left( 1 - \frac{1}{m} \right)^{nk} - \frac{L-1}{L} \binom{nk}{1} \frac{1}{m} \left( 1 - \frac{1}{m} \right)^{nk-1} \right)^2 - \frac{(L-1)(L+1)}{6L^2} \binom{nk}{2} \left( \frac{1}{m} \right)^2 \left( 1 - \frac{1}{m} \right)^{nk-2} \quad (2)$$

The FPR of the VVI-CBF scheme is given by eqn. (3)

$$FPR = \left( 1 - \left( 1 - \frac{1}{l_1} \right)^{nk} - \frac{L-1}{L} \binom{nk}{1} \frac{1}{l_1} \left( 1 - \frac{1}{l_1} \right)^{nk-1} \right)^2 - \frac{(L-1)(L+1)}{6L^2} \binom{nk}{2} \left( \frac{1}{l_1} \right)^2 \left( 1 - \frac{1}{l_1} \right)^{nk-2} \quad (3)$$

Where L is the size of D<sub>L</sub>, l<sub>1</sub> is the bit size of first level in b<sub>j</sub>, n is the maximum number of elements and k is the number of hash functions. Definitely this will improve the false positive rate to a great extend for a CBF when it is chosen as m≥10.

## 5. Experiment Result

The experiment is conducted to analyze the performance of the VB<sub>h</sub>-CBF and VVI-CBF. 50 signatures each of 8 bits per cycle are loaded in the database. The false positive rate is analyzed based on the test bench designed using Hardware Description Language (HDL). The simulation is conducted for 100 intrusion patterns. The functional blocks are implemented using Virtex4 (XC4VS25) Field Programmable Gate Array(FPGA).The false positive rate for B<sub>h</sub>-CBF, VI-CBF, VB<sub>h</sub>-CBF and VVI-CBF with D=D<sub>L</sub> are 0.00089, 0.00031, 0.00028 and 0.00010 respectively. The false positive rate improves by 65.4% and 67.74% respectively. As the number of entries increases the improvement would be seen over the order of magnitude.

The memory requirement comparison is shown in Table 1 where the previous works are shown on the left hand side and proposed two techniques are shown on the right hand side. The performance results of the previous approaches are taken from [12][20]. We presented the five existing approaches and two new techniques VB<sub>h</sub>-CBF and VVI-CBF.

We used the letter U instead of D in the previous works and their results are summarized in Table 1. The B<sub>h</sub>-CBF and VB<sub>h</sub>-CBF requires an addition table as explained in VVI-CBF Construction.

As the counter array is partitioned into Multi-levels the total memory requirement reduces and further, the segregation of insertion/deletion operations and query operations brings a better false positive rate. In VB<sub>h</sub>-CBF, the memory size requires is 9.17 whereas in the VVI-CBF it drops to 6.13. A total memory size of 20.26% and 41.29% improvement are accomplished compared to B<sub>h</sub>-CBF and VI-CBF.

Table 1. Memory Requirements comparison.

	Existing Techniques[8,10]					Proposed Techniques	
	CBF	Spectral BF	dl-CBF	B <sub>h</sub> - CBF	VI-CBF D=D <sub>L</sub>	VB <sub>r</sub> - CBF	VVI-CBF D=D <sub>L</sub>
Main Structure (KB)	14.1	8.12	5.2	12.07	10.97	9.17	6.13
Secondary Structures (KB)	-	-	-	-	-	0.44	0.31
Additional Tables(KB)	-	4	-	0.02	-	0.03	-
Total Size (KB)	14.1	12.12	5.2	12.09	10.97	9.64	6.44
Total Memory Size in %	-	-	-	-	-	20.26	41.29
False Positive Rate	10 <sup>-3</sup>	10 <sup>-3</sup>	1.5x10 <sup>-3</sup>	10 <sup>-3</sup>	10 <sup>-3</sup>	10 <sup>-3</sup>	10 <sup>-3</sup>
Computation Time(ns)	0.447	0.389	0.224	0.410	0.35	0.27	0.21

The computation time required for all the methods are addressed to show that there are improvement of 34.14% and 40% compared to B<sub>h</sub>-CBF and VICBF. This improvement makes the design more significant for intrusion detection application where high speed detection exists.

## 6. Conclusion

The target of this paper is to propose an efficient technique to reduce the false positive rate and memory utilization with low computation time. We have also demonstrated that these two methods achieve a low false positive rate. Simulation result shows that the false positive probability is reduced by 65.4% and 67.74% compared to standard B<sub>h</sub>-CBF and VI-CBF respectively. The proposed work suffers from little hardware overhead due to increase in B<sub>h</sub> blocks. The proposed work is suited well for intrusion detection system since it accomplishes only low memory space.

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